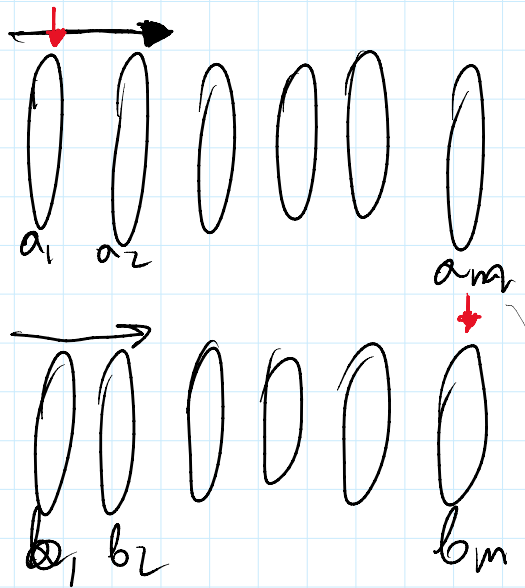


2-TABLE



$s - a_1, s - a_2, s - a_3, \dots, s - a_m$
 лекс. убыв. посл-ть

$$a_i + b_j = s$$

SUBSET SUM



a_s



b_s

$$S \subseteq \{1, \dots, \frac{n}{2}\}$$

$$S \subseteq \{\frac{n}{2} + 1, \dots, n\}$$

XSAT

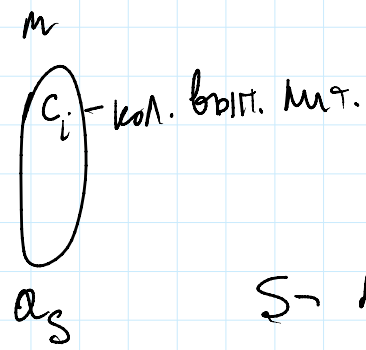
$s_i - x_i$ выходит полож-но $k_i - x_i$ выходит отрицательно
 $\sum s_i \cdot x_i + k_i \cdot (1 - x_i) = \text{кон-во}$ кон-во

$$\overline{x_{k+2}} \wedge (x_{k+2} \vee \overline{x_{k+1}}) (\overline{x_{k+1}} \vee x_1 \vee x_2 \vee x_3 \vee x_4 \vee \dots \vee x_k) \wedge \overline{x_1} \wedge \overline{x_2} \wedge \overline{x_3} \wedge \dots \wedge \overline{x_k}$$

$$s_i = k_i = 1$$

$$s_{k+2} = 1$$

$$k_{k+2} = 0$$

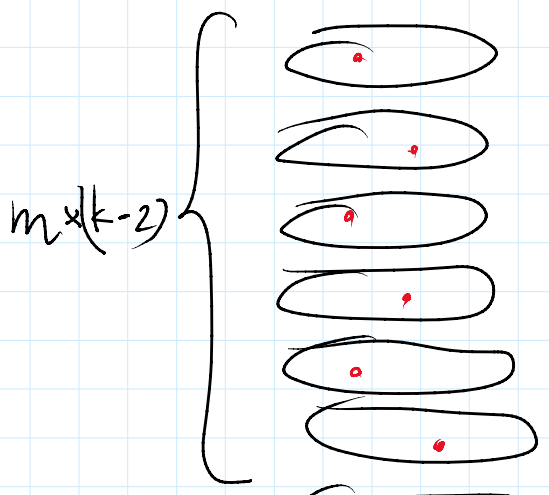


m-ушко крозбо
poly(n, m)

$S \rightarrow \{0, 1\}^{n/2}$ - означ. првих $\frac{n}{2}$ перем.



$S \rightarrow \{0, 1\}^{n/2}$ - означ. вторих $\frac{n}{2}$ перем.



$m^{k-1} \cdot ml \approx m \log m$

$m^{k-2} \cdot (ml \log m + ml)$

$m^{k-1} \cdot l \log m$

Z-TABLE $S' = S - \left(\sum_{k=2}^i \right)$

3-SUM

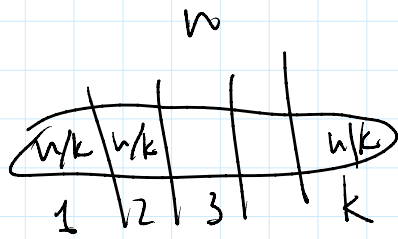
3 x $\begin{matrix} a_1 & a_2 & a_3 & \dots & a_n \\ 0 & 0 & 0 & \dots & 0 \end{matrix}$

$S=0$
 $n^2 \log n$

$$\underbrace{2^{\frac{n}{k}} \leq M(n)}$$

$$\frac{n}{k} \leq \log M(n)$$

$$k \geq \left\lceil \frac{n}{\log M(n)} \right\rceil$$



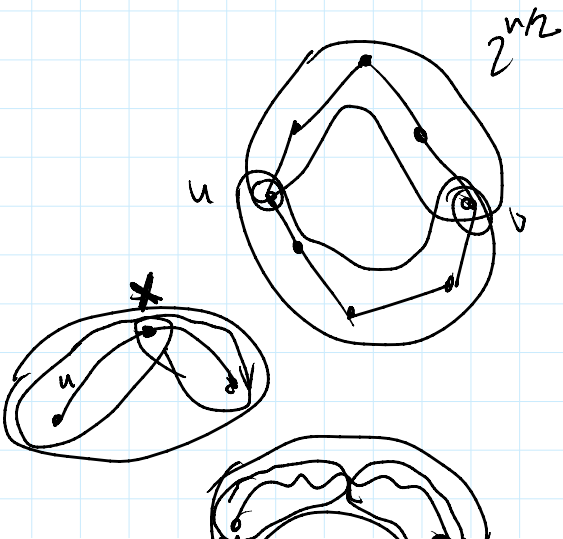
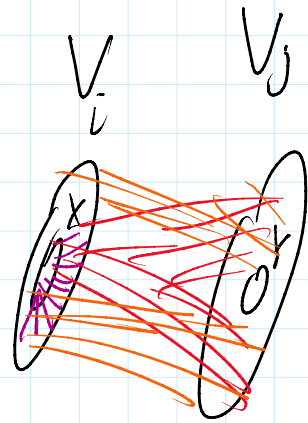
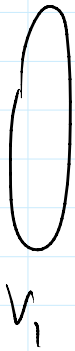
$$l = 1 \quad m = 2^{n/k}$$

MAX CUT

Алг-м \forall раскраски

$$n^{\log_2 7}$$

Копперем. - Вильярдо n^{2373}



$\binom{n}{n/2}$ - количество
тов, каких 1-я половина

$$\binom{n}{n/2} \approx 2^{n/2}$$

$$\Theta(2^n \cdot 2^{n/2}) \quad 2^{3n/2} \quad 2^{n/2}$$



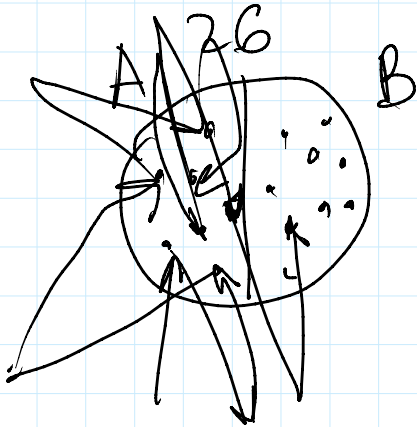
$$O(2^u \cdot 2^{u/2}) \quad 2^{3u/2} \quad 2^{u/2}$$

$$T(n) = 2^n \cdot T(n/2) \cdot n$$

$$4^n \leftarrow \left(2^n \cdot 2^{n/2} \cdot 2^{n/4} \cdot 2^{n/8} \cdots 2^1 \right) \cdot n^{\log n/2}$$

$$2^{n(2-1/2^i)} \cdot 2^{n/2^i} = 4^n$$

Time x Space = 4^n



$$2^{13} + 2^{13} - 1$$

$$\left(2^{14} - 1 \right)^{n/26}$$

↑
SNC_i

(26) $k=13$ Time $(2^{14} - 1)^{n/26} \cdot \binom{26}{13}^{n/26}$ 2.704

2.928 Space $(2^{14} - 1)^{n/26}$ 1.46

(4)

(1,4) $h \leq \frac{n}{2}$

$$\binom{n}{h} \cdot 1.3803^h + \binom{n-h}{1} \cdot 1.3803^{n-h}$$

(1.3803)

$$\binom{n}{h} \cdot 1.3803^h = 1.3803^{n-h}$$

$$2^{n \cdot H\left(\frac{h}{n}\right)} \cdot 1.3803^h = 1.3803^{n-h}$$

$$\times = \frac{h}{n}$$